| | | EXAM CODE : ST13_542012 POST : STATISTICAL COMPILER |
|---|------|--|
| 1 | solu | ne dual of the problem has infeasible ution, then the value of objective ction is: |
| | X. | Unbounded |
| | В. | Bounded |
| | C. | No solution |
| | D. | None of these |
| 2 | | andom variable X follows a standard mal distribution, then X² follows: |
| | .A. | Normal distribution |
| | В. | Gamma distribution with parameters (1.1) |
| | C. | Exponential distribution |
| | Ø. | Chisquare distribution with one degree of freedom |

- The Chisquare distribution can be used to test:
 - A. Goodness of fit of distribution
 - B. Independence of attributes
 - C. Single population variance
 - D. All of these
- If the two lines of regression are perpendicular to each other, the relation between the two regression coefficients is:
 - $A, \quad \beta_{yx} = \beta_{xy}$
 - B. $\beta_{yx} \beta_{xy} = 1$ C. $\beta_{yx} \le \beta_{xy}$

If ρ(x,y) = ·1. the relation between x and y is of the type:
A. When y increases, x also increases
B. When y decreases, x also decreases
C. x is equal to ·y
D. When y increases, x decreases
The A.M of two numbers is 6.5 and their G.M is 6. The two numbers are:
A. 9, 6
B. 9, 5
C. 7, 6
D. 1, 9

| 7 | If the two observations are 5 and -5, their Geometric mean is: |
|---|---|
| | A. 5 |
| | B5 |
| | C. 0 |
| | D. None of these |
| 8 | The average which is mostly affected by the smallest values is: |
| | A. A.M |
| | B. G.M |
| | e. H.M |
| | D. Mode |

9 The relationship between mean deviation (M.D) and Standard deviation is: A. 3 M.D = 2 S.D5 M.D = 4 S.D2 M.D = 3 S.DD. 6 M.D = 5 S.D10 If each value of a series is divided by 5, its co-efficient of variation is reduced by: B. 500 C. 1000 D. 20%

| 11 | Harmonic mean in terms of G.M |
|----|--|
| | and A.M is: |
| | |
| | |
| | $A. H.M = \sqrt{G.N[xA.M]}$ |
| | |
| | B. $H.M = G.M \times A.M$ |
| | |
| | Q_{*}^{\prime} H.M = $(G_{*}M)^{2} / A_{*}M$ |
| | $\mathcal{L}. H.M = (G.M) - IA.M$ |
| | |
| | D. $H.M = \sqrt{(G.M)^2 / A.M}$ |
| - | D. 11.31 V(C).117 7 11.111 |
| 12 | The entreme values in a vegetively |
| | The extreme values in a negatively |
| | skewed distribution lie in the : |
| | |
| | A. Middle |
| | |
| | B. Right tail |
| | D. MEIR COL |
| Ì | |
| | C. Left tail |
| | |
| | D. Whole curve |
| | |

| 13 | Mode is calculated graphically by : |
|-------|---|
| ! | A. Ogaive |
| | B. Line diagram |
| | C. Histogram |
| | D. Lorenz curve |
| 14 | The value of coefficient of Kurtosis βgcan be: |
| | A. Less than 3 |
| | B. Greater than 3 |
| | C. Equal to 3 |
| | D. All of these |

For a symmetrical distribution odd 15 moments take values: B. Positive C. Negative D. Positive and Negative When there is a pronounced skewness. 16 the desirable scale to plot the frequency distribution is: A. Arithmetic Scale B. Multiple Scale C. Logarithmic Scale D. Any of these

| 17 | What percentage of values lies between 5th and 25th percentiles? |
|----|--|
| | A . 15° \circ |
| | B. 30°° |
| | C. 75% |
| | D. 20°° |
| 18 | If the mean deviation of a distribution is 20.20, the standard deviation of the distribution is: |
| | A. 15.15 |
| | B. 25.25 |
| | C. 30.30 |
| | D. None of these |

- Which of the following statements is FALSE?
 - A. Pie charts are better than bar graphs for comparing relative sizes
 - B. Data that are nominal scale are presented using frequency tables
 - C. Means and standard deviations of ordinal data are meaningless
 - D. The scatter-plot is the basic graphic tool for investigating relationships between two interval or ratio scaled variables
- The correct relationship between A.M. G.M and H.M is:
 - $A. \quad A.M = G.M = H.M$
 - $B, \quad G.M \geq A.M \geq H.M$
 - C. $H.M \ge G.M \ge A.M$
 - \mathcal{D} . $A.M \ge G.M \ge H.M$

In a randomized block design with 6 21 treatments and 5 blocks, an observation is missing. The treatment total, the block total corresponding to the missing observation is 25 and 30 respectively. The total of the available observations is 100. Then an estimate for missing observation is: A. 2515 20 Randomization is a process in which 22 treatments are allocated to the experimental units: A. At the will of the investigator B. In a sequence e. With equal probability

D. By choosing the units alternatively

| 23 | | Latin square design with 5 atments, we need : |
|----|---|--|
| | Α. | 125 observations |
| | В. | 50 observations |
| | K. | 25 observations |
| | D. | 10 observations |
| 24 | The distribution for error in ANOUA is assumed to be: | |
| | X. | $N(0, \sigma^2)$ |
| | В. | N(0, 1) |
| | C. | $N(\mu, \sigma^2)$ |
| | D. | N(μ, 1) |
| | | |

25

The contrast representing the linear effect among the 4 treatments is:

A.
$$T_1 - 2T_2 + T_3$$

B.
$$T_4 - T_2 - T_3 + T_4$$

A.
$$T_1 - 2T_2 + T_3$$

B. $T_1 - T_2 - T_3 + T_4$
C. $-T_1 + 3T_2 - 3T_3 + T_4$

26

The quadratic effect of a factor X at three levels 0, 1 and 2 can be estimated by the contrast:

$$A$$
. $\Sigma_0 - \Sigma_2$

B.
$$X_0 + X_2 - 2X_1$$

C. $X_1 + X_2 - 2X_0$

D. $X_0 + X_1 - 2X_2$

C.
$$X_1 + X_2 - 2X_0$$

D.
$$X_0 + X_1 - 2X_2$$

The number of Additional Director
Generals assisting the Director
General of CSO is:

A. 5

B. 4

C. 3

D. 6

The probability of selecting 8th population unit in the 6th draw when 10 units are randomly drawn one by one without replacement out

of 25 population units is:

$$A = \frac{10}{25}$$

$$B. = \frac{1}{10}$$

C.
$$\frac{6}{25}$$

$$\mathcal{D}$$
. $\frac{1}{25}$

| 29 | The Government organization whose primary responsibility is organizing socio-economic surveys is: |
|----|---|
| | A. Indian Statistical Institute |
| | B. CSO |
| | Q. NSSO |
| | D. Ministry of Statistics |
| 30 | Given V_1 =26, V_2 = 32 and V_3 = 15. Identify the correct choice: |
| | $A_{*} = V_{\mathrm{tan}} = V_{1}$, $V_{\mathrm{opt}} = V_{2}$, $V_{\mathrm{prop}} = V_{3}$ |
| | B. $V_{\text{opt}} = V_{1} * V_{\text{ran}} = V_{2} * V_{\text{prop}} = V_{3}$ |
| | $V_{ m opt} = V_3$, $V_{ m ran} = V_2$, $V_{ m prop} = V_1$ |
| | |

D. $V_{opt} = V_{3}$, $V_{ran} = V_{1}$, $V_{prop} = V_{2}$

| 31 | Neyman allocation reduces to | | |
|----|------------------------------|---|--|
| | pro | portional allocation when : | |
| | А. | Stratum sizes are equal | |
| | B. | Stratum standard deviations are equal | |
| | C. | Stratum means are equal | |
| | D. | Stratum means are unequal | |
| 32 | Whe | $en Y_i = \alpha + \beta_i, i=1, 2,N,$ | |
| | 1 | ch of the following statement RUE? | |
| | Α. | $L(\dot{L}^{\text{sis}}) = L(\dot{L}^{\text{shs}})$ | |
| | B. | $V(\overline{Y}_{\text{sys}}) = V(\overline{Y}_{\text{sts}})$ | |
| | C. | $V(\bar{y}_{\text{sys}}) = V(\bar{y}_{\text{srs}})$ | |
| | D. | $\sum_{i} (\hat{\lambda}^{shs}) = (j)$ | |

| 33 | The number of possible systematic samples of size 8 with population size 120 is : |
|----|--|
| | A. 8 |
| | B. 12 |
| | Ø. 15 |
| | D. 10 |
| 34 | Choose the sequence of labels corresponding to a systematic sample of size 4 when $N=20$: |
| | X. 5. 10. 15. 20 |
| | B. 1. 10, 11, 20 |
| | C. 3. 9, 15, 18 |
| | D. 2, 6, 10, 14 |

35 Neyman allocation: $\operatorname{Minimizes} V(\overline{y_{\mathsf{st}}}) \text{ for a given cost}$ Maximizes $V(\overline{y_{st}})$ for a given cost В. Minimizes $V(\overline{y_{st}})$ for a given sample size D. Maximizes V(y_{st}) for a given sample size In a randomized block design with 36 5 blocks and 6 treatments having one missing value, the error degrees of freedom will be: 18 20 30

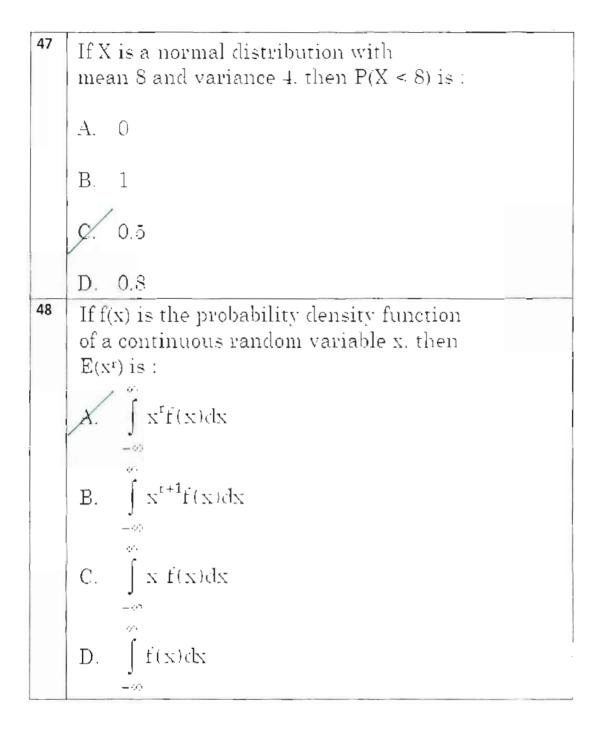
| 37 | Error sum of squares in RBD as | | |
|----|--|--|--|
| | compared to CRD using the same | | |
| | material is: | | |
| | | | |
| | A. More | | |
| | | | |
| | B. Less | | |
| | | | |
| | C. Equal | | |
| | | | |
| | D. Not comparable | | |
| 38 | In a Latin square design with 5 | | |
| | treatments, the error degrees of freedom | | |
| | in analysis of variance is equal to: | | |
| | | | |
| | X. 12 | | |
| | | | |
| | B. 16 | | |
| | | | |
| | C. 25 | | |
| | | | |
| | D. 14 | | |
| | | | |

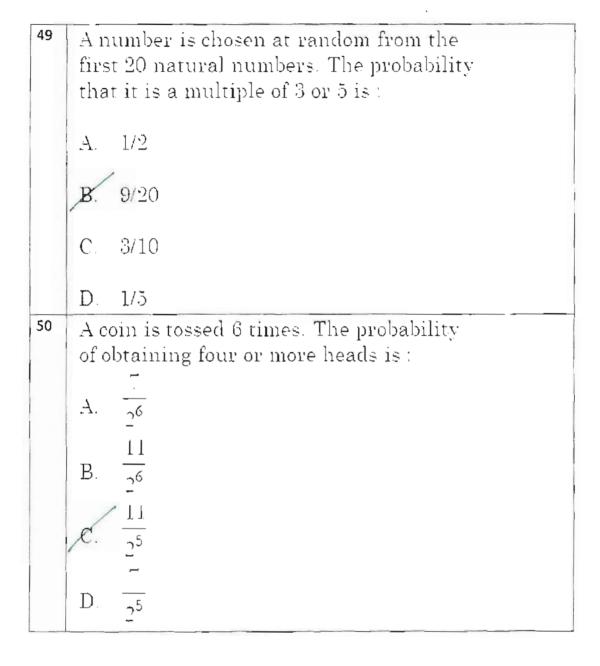
39 If from each value of Y, a constant value 15 is subtracted and then divided by 2. the changed regression coefficient b_{xy} through coded values is: A. Half of bxv Twice of b_{xy} C. Same as b_{xy} None of these 40 A linear combination of treatments is said to be a contrast iff: The sum of the treatment effects is 0 All the coefficients of the treatments are unity The sum of the coefficients of the treatment is 0 D. The sum of the coefficients of the treatment is less than 0

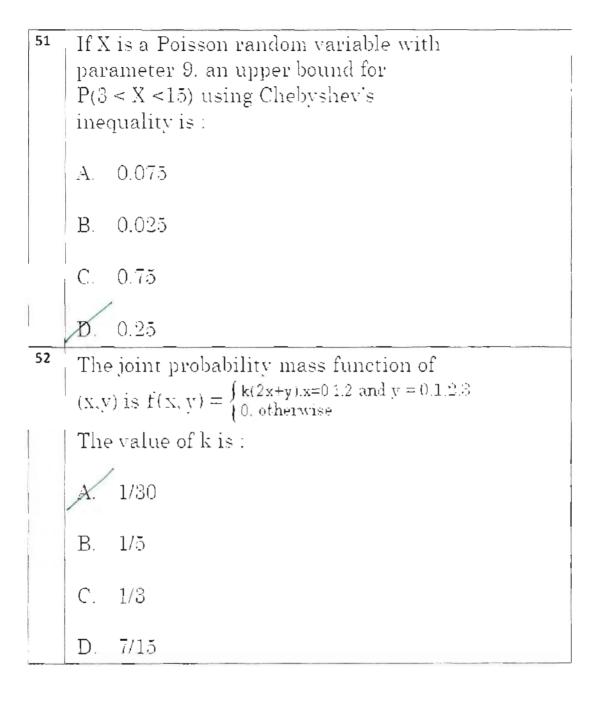
In a 2° factorial experiment, if the effect ABC is confounded in all the 4 replicates then the error degrees of freedom is: 16 20 D. 15 42 In a randomized block design, the unbiased estimator for error variance is: Mean sum of squares due to error B. Sum of squares due to error C. Sum of squares due to treatment Mean sum of squares due to treatment

43 If the treatment ABC is confounded in a replicate, then the other treatment combinations that must occur with abo in the same block is: B. ab. ac. bc C. bc. ac. c D. a, b, ab 44 If Y = CX, C being a constant. then E(Y)=? $B. \quad E(X)$ CE(X) D. C+E(X)

45 If $X \cap B(n,p)$, the distribution of Y=n-X is: B(n,1)B(n,x)В. B(n,p)B(n,q)46 A problem in statistics is given to two students A and B. The odds in favour of A solving the problem are 6 to 9 and against B solving the problem are 12 to 10. If A and B attempt, find the probability of the problem being solved. 6/15 А. В. 5/11 18/55 C. 37/55







| 53 | Mr. A speaks truth in 90% of cases and |
|----|--|
| | Mr.B speaks truth in 70% of cases. The |
| | _ |
| | percentage of cases they contradict each |
| | other in making the same statement is: |
| 1 | A. 63 |
| | A. 03 |
| | B. 20 |
| | B. 20 |
| | C. 27 |
|) | |
| | D. 34 |
| 54 | The interquartile range of a normal |
| | distribution with mean µ and variance |
| | σ ² is approximately: |
| | $\frac{2}{2}$ |
| | $A. \frac{2}{3}\sigma$ |
| | 3 |
| | $B = \frac{4}{3}\sigma$ |
| | 25. 3 |
| | |
| | (C, σ |
| | $\frac{1}{2}$ |
| | D. $\frac{-\sigma}{5}$ |

| 55 | A man and his wife appear—for an interview for two posts. The probability of the husband's selection is 1/7 and that of wife's selection is 1/5. What is the probability that only one of them will be selected? |
|----|--|
| | A. 6/7 |
| | B. 2/7 |
| | C. 4/5 |
| | D. 4/35 |
| 56 | The distribution for which the moment |
| | generating function is $\frac{1}{2^6}(1+e^t)^6$ is a: |
| | A. Hypergeometric distribution |
| | B. Negative binomial distribution |
| | C. Binomial distribution |
| | D. Geometric distribution |

The recurrence relation for the moments of a Poisson distribution with the parameter h is:

$$A_{r+1} = r\mu_{r+1} + \frac{d\mu r}{d\lambda}$$

$$A. \quad \mu_{r+1} = r\mu_{r+1} + \frac{d\mu r}{d\lambda}$$

$$B. \quad \mu_{r+1} = \lambda \left[\mu_{r+1} + \frac{d\mu_r}{d\lambda} \right]$$

$$C. \quad \mu_{r+1} = \lambda \left[r \mu_r + \frac{d \mu_r}{d \lambda} \right]$$

$$b. \quad \mu_{r+1} = \lambda \left[r \mu_{r-1} + \frac{d \mu_r}{d \lambda} \right]$$

- Expected value of |x-k| is minimum when:

 - A. k = E(x)B. k < MedianC. k > E(x)

 - D. k = Median

| 59 | I | formance of an acceptance sampling n can be analyzed using: |
|----|------|--|
| | Α. | Single sampling plan |
| | B. | Operating characteristic curve |
| | C. | Control chart |
| 60 | | None of these |
| 60 | It P | $r=\pm 1$. the two regression lines are: |
| | A. | Coincide |
| | В. | Parallel |
| | C. | Perpendicular to each other |
| | D. | None of these |

| C4 | |
|----|--|
| 61 | The probability of selecting the set |
| | $\{1, 2, 4\}$ as samples in SRSWOR, when |
| | N=10 and $n=3$ is: |
| | |
| | 1 <u>1</u> |
| | $A = \frac{1}{3}$ |
| | $B. = \frac{3}{10}$ |
| | $B_{i} = \frac{s^{2}}{160}$ |
| | $\frac{1}{10}$ $\frac{10}{10}$ |
| | |
| | 0 |
| | 120 |
| | l I |
| | $D_{i} = \frac{1}{10}$ |
| | D. 10 |
| 63 | |
| 62 | The probability of including the units |
| 62 | The probability of including the units with label 3 in a SRS with N=10 and n=3 |
| 62 | with label 3 in a SRS with N=10 and n=3 |
| 62 | , , |
| 62 | with label 3 in a SRS with N=10 and n=3 is: |
| 62 | with label 3 in a SRS with N=10 and n=3 is: |
| 62 | with label 3 in a SRS with N=10 and n=3 is: |
| 62 | with label 3 in a SRS with N=10 and n=3 is: A. $\frac{1}{10}$ |
| 62 | with label 3 in a SRS with N=10 and n=3 is: |
| 62 | with label 3 in a SRS with N=10 and n=3 is: A. $\frac{1}{10}$ |
| 62 | with label 3 in a SRS with N=10 and n=3 is: A. $\frac{1}{10}$ B. $\frac{3}{10}$ |
| 62 | with label 3 in a SRS with N=10 and n=3 is: A. $\frac{1}{10}$ |
| 62 | with label 3 in a SRS with N=10 and n=3 is: A. $\frac{1}{10}$ B. $\frac{3}{10}$ |
| 62 | with label 3 in a SRS with N=10 and n=3 is: A. $\frac{1}{10}$ B. $\frac{3}{10}$ |

| 63 | The range for intracluster correlation. |
|----|---|
| | when clusters contain exactly M units |
| | , |
| | each is: |

A.
$$\frac{1}{(M-1)}$$
 p 1

B.
$$-1 \cdot \rho \cdot 1$$

$$e' = \frac{1}{(M-1)} - \rho + 1$$

$$D_{\ell}=0<\rho-1$$

In which of the following sampling methods, one can have n > N with positive probability?

- B. SRSWOR
- C. Systematic sampling
- D. Stratified sampling

Given N = 36. n = 5 and S^2 = 2. The value of V(y) is:

A. $\frac{2}{5}$ B. $\frac{18}{90}$ D. $\frac{4}{5}$

- When N = 24 and n = 6, which of the following statement is TRUE in systematic sampling?
 - A. The probability of selecting a sample consisting 10th and 14th population

unit is $\frac{1}{6}$

- B. The probability of selecting a sample consisting 9th and 14th population unit is 0
- C. The probability of selecting a sample consisting 9th and 14th population

unit is $\frac{1}{4}$

D. The probability of selecting a sample consisting 7th .12th and 15th

population unit is $\frac{1}{4}$

| 67 | A life-table constructed for an age interval of 5 to 10 years is specifically known as: |
|----|---|
| | Khown as. |
| | A. Grouped life-table |
| | B. Interval life-table |
| | €. Abridged life-table |
| | D. None of these |
| 68 | The death rate of women due to delivery of children is termed as: |
| | A. Maternal mortality rate |
| | B. Neonatal mortality rate |
| | C. Infant mortality rate |
| | D. Foetal death rate |

| 69 | 10 LET A = 5.3 20 PRINT A 30 END The output will be: |
|----|--|
| | A. 5.3 |
| | B. 5.36 |
| | C. 3.5 |
| | D. 5.03 |
| 70 | GOTO statement in BASIC is: |
| | A. Conditional |
| | B. Unconditional |
| | C. Branching |
| | D. Transfer |

| 71 | In BASIC, if within an expression the parenthesis are present, then the calculations within the innermost parenthesis will have: A. First preference |
|----|---|
| | B. Second preference |
| | C. Third preference |
| | D. Fourth preference |
| 72 | The child bearing age in India is: |
| | A. 20 - 24 years |
| | B. 20 - 29 years |
| | 2. 15 – 49 years |
| | D. 15 - 52 years |

The equation of the Parabola is:

$$x = ax^2 + bx + c$$

B.
$$y = ax^3 + bx^2 + ex + D$$

$$C_{\cdot}$$
 $y = ae^{bx}$

$$D, y = ax^{b}$$

74

Given the two regression lines as 3x-4y+8=0 and 4x-3y=1. The means of x and y are:

$$x = 4, y = 5$$

B.
$$x = 3, y = 4$$

$$\vec{x} = \frac{3}{4}, \vec{y} = \frac{2}{4}$$

D. None of these

| 75 | Vai | riance of a constant is: |
|----|------|-----------------------------------|
| | Α. | 1 |
| | В. | → · / · |
| | ø. | 0 |
| | D. | |
| 76 | In a | Normal distribution, skewness is: |
| | Α. | One |
| | B. | Zero |
| | C. | Greater than one |
| | D. | Less than one |

Given the expected values for two variables x and y as E(x) = 2. $E(x^2) = 10$. E(y) = 3, $E(y^2) = 20$ and E(xy) = 16. We conclude that: Correlation coefficient will be positive Correlation coefficient will be negative Given data are incorrect None of these The most popular method of 78 computing consumer price index is: Aggregate expenditure method Simple average of price relative В. method Family budget method Simple aggregate method

Pansche's formula for price index is:

$$A_{*} = \frac{\displaystyle \sum_{i} p_{i} q_{i}}{\displaystyle \sum_{j} p_{0} q_{0}} + 100$$

$$\mathbb{E} = \frac{\sum_{i} P_{i} q_{i}}{\sum_{i} P_{0} q_{i}} = 100$$

C.
$$\frac{\sum_{i} p_{i} q_{0}}{\sum_{i} p_{0} q_{0}} = 100$$

$$D. = \frac{\sum p_{_0}q_{_i}}{\sum p_{_i}q_{_i}} = 100$$

80 Factor reversal test is invented by:

- A. Walsh
- B. A.L. Bowley
- C. John I. Griffin
- D. Irwin Fisher

| 81 | | e gross National product value is lated through: |
|----------|------|--|
| | A. | Quantity Index Number Price Index Number |
| | C. | Value Index Number |
| | | All of these |
| 82 | of L | her's ideal index number is the aspegre's and Pansche's index abers. |
| <u> </u> | А. | Arithmetic mean |
| | B. | Geometric mean |
| | C. | Harmonic mean |
| | D. | Weighted Arithmetic mean |
| | | |

83

The Arithmetic mean of the two regression coefficients β_{yx} and β_{xy} is:

$$C_{i} = r^2$$

$$D. - r^2$$

The Spearmen's rank correlation coefficient formula is:

A.
$$1 - \frac{6\sum di^3}{n(n^2 - 1)}$$

B.
$$1 + \frac{6\sum_{i} c l_i^2}{n(n^2 - 1)}$$

$$e^{-1-\frac{6\sum_{i}di^{2}}{n(n^{2}-1)}}$$

$$D. \quad 1 + \frac{\sum di^2}{n(n-1)}$$

The skewness of a chi-square distribution will be zero if:

A. n = 0

B. n = 1

C. n < 0

D. n → ∞

88 Sampling distribution is defined as:

A. Chi square distribution

B. Frequency distribution of the statistic

C. Frequency distribution of the parameter

D. t - distribution

If X and Y are two independent chi

square variates with γ_1 and γ_2 degrees

of freedom respectively, then $W = \frac{X/T_1}{Y/T_2}$

follows:

- A. Chi square distribution
- B. t distribution
- C. Normal distribution
- D. F distribution

The maximum height of the students' to distribution curve at the point t = 0 is:

$$A. \quad \frac{1}{\beta\left(\frac{1}{2}, \frac{n-1}{2}\right)}$$

$$B. \frac{1}{\sqrt{n-1} \beta\left(\frac{1}{2}, \frac{n-1}{2}\right)}$$

C.
$$\frac{1}{\sqrt{n-1} \beta\left(\frac{1}{2}, \frac{n}{2}\right)}$$

$$D, \quad \sqrt{n-1} \ \beta\left(\frac{1}{2}, \frac{n-1}{2}\right)$$

91 For a random sample of size n from

$$N(\mu, \sigma^2)$$
, \bar{x} and $(n-1)S^2 = \sum_{i=1}^{n} (x_i - \bar{x})^2$

are:

A. Identically distributed

B. Independently distributed

C. Both (A) and (B)

D. Neither (A) nor (B)

- A. Population growth
- B. Family planning
- C. Checking infant mortality
- D. None of these

93 | Given Min $10x_1 + 5x_2 + 5x_3$ | Subject to $5x_1 - 5x_2 - 3x_3 = 1$

$$-x_1 + x_2 = -3$$

$$x_1 - x_3 = -7$$

$$-4x_1 + 4x_2 + x_3 = 5$$

$$x_1 = 0$$

In the dual of this problem we have:

$$A = 3y_2 - 7y_3 + 5y_4$$

B.
$$\operatorname{Max} 10x_1 + 5x_2 + 5x_3$$

C. Max
$$5x_1 - 5x_2 - 3x_3 = 1$$

D. None of these

"Assign a value of 758.33 to the variable "P" - for this corresponding LET statement is:

B.
$$P = 758.33$$

C.
$$10 LET P = 7.33$$

D. None of these

95 Sequence of instructions in a program that can be executed repetitively until certain specific conditions are satisfied is:

A. Fixed loop

B. Jump

C. Variable loop

D. Loop

The table of expected frequencies 96 associated with the following contingency table is: 20 10 10 20 15 20 20 15 A. 15 ξÒ 10 15 20 1010 $\mathbf{I}()$ В. D. 10 20 20 20 Which method is not suitable to as 97 measured seasonal variation Method of simple average Moving average method Β. Ratio to trend method Link relative method

98

To test the hypothesis $H_0: \sigma^2 = \sigma_0^2$ against $H_1: \sigma^2 = \sigma_0^2$ based on a sample size 15 drawn from $N(\theta, \sigma^2)$. θ -unknown, the test statistic has:

- A. t distribution with 14 degrees of freedom
- B. t distribution with 13 degrees of freedom
- 2. x² distribution with 14 degrees of freedom
- D. x^2 distribution with 15 degrees of freedom

99 A statistical test is:

- A. A statement about the probability distribution of a random variable
- B. A decision rule which helps us to take a decision regarding the acceptance or rejection of a hypothesis based on sample evidence
- C. A decision rule that can be used even before sampling.
- D. All of these

100 Choose the correct statement:

- A. If the p-value of a test is 1, the null hypothesis must be rejected.
- B. If the p-value of a test is 0, the null hypothesis must be accepted
- E. If the p-value of a test is 1, the null hypothesis must be accepted
- D. p-value of a test has no role in deciding whether to accept or reject a statistical hypothesis

| A. Most powerful test |
|---|
| |
| B. Likelihood ratio test |
| C. Uniformly most powerful test |
| D. All of these |
| A most powerful test is associated with |
| esting - |
| Simple null against simple alternative |
| 3. Simple null against composite alternative |
| C. Composite null against composite alternative |
| O. Composite null against simple alternative |
| |

103 Paired t-test is used for -

- A. Testing the equality of means based on 2 independent samples
- B. Testing the equality of variance based on 2 independent samples
- C. Testing the equality of means of paired observations on same experimental units
- D. Testing the equality of means of paired observation on different experimental units

The sample correlation based on a sample of size 11 drawn from a bivariate normal distribution is found to be $\pm\sqrt{0.19}$. The value of the test statistic associated with H₀: ρ =0 against H₁: ρ \neq 0 is :

A. $\sqrt{\frac{19}{3}}$ B. $\sqrt{\frac{19}{9}}$ C. $\sqrt{\frac{19}{30}}$

D.

Based on two independent samples of sizes 12 and 15 drawn from $N(\theta_1,\sigma_1^2) \text{ and } N(\theta_2,\sigma_2^2) \text{ , it is found that}$ $\sum_{i=1}^{12} (x_i^{(1)} - \overline{x}^{(1)})^2 = 80 \text{ and } \sum_{i=1}^{15} (x_i^{(2)} - \overline{x}^{(2)})^2 = 70.$ The value of the test statistic associated units $|H_0:\sigma_1^2=\sigma_2^2|H_1:\sigma_1^2\pm\sigma_2^2$ is: $\frac{11}{A}. \qquad 16$ B. $\frac{16}{11}$

D.

- The likelihood ratio test reduces to MPT if:
 - A. Null and Alternative are simple
 - B. Null is simple, Alternative is composite
 - C. Null is composite, Alternative is simple
 - D. Null and alternative are composite
- For which of the following testing problems these is no UMPT of level α in the case of Poisson distribution with mean λ -
 - A. $H_0: \lambda = \lambda_0$ against $H_1: \lambda < \lambda_0$
 - B. $H_0: \lambda = \lambda_0 \text{ against } H_1: \lambda > \lambda_0$
 - C. $H_0: \lambda \leq \lambda_0$ against $H_1: \lambda > \lambda_0$
 - D. $H_0: \lambda = \lambda_0 \text{ against } H_1: \lambda \neq \lambda_0$

- It is believed that in Tamil Nadu, students undergoing Science. Arts, Commerce and Engineering branches are in the ratio 2:1:1:6. Based on a random sample of 1500 students, it is proposed to test the above statement, which of the following tests is an appropriate one?
 - A. F test
 - B. t-test
 - C. Chi-square test
 - D. Normal test
- 109 Corrected statement for 20 IF B1 >B\$ THEN 70 is:
 - A. 20 IF B\$ > B1 THEN 70
 - B. 20 IF B1 > B\$ THEN 20
 - C. 20 IF B1 > B2 THEN 70
 - D. None of these

| 110 | Supply corresponding INPUT statements |
|-----|---|
| | to |
| | ?, 10, 20, 30, 40 |
| | A. 10 INPUT A, B, C, D |
| | B. 10 INPUT A\$, B\$, C,D |
| | C. 10 INPUT A, B |
| | D. None of these |
| 111 | Total numbers of live births to the total |
| | female population of the child bearing |
| | age is: |
| | A. Total fertility rate |
| | B. Specific fertility rate |
| | C. General fertility rate |
| | D. Crude birth rate |

| 112 | Size of an array is accomplished by means of the statement: |
|-----|---|
| | A. DIM |
| | B. READ |
| | C. DATA |
| | D. END |
| 113 | What is the library function for finding the square root of a variable? |
| | A. ABS |
| | B. LOG |
| | e. sqrt |
| | D. SQR |

| 114 | The moment generating function | of a |
|-----|--------------------------------|------|
| | t-distribution is: | |

A.
$$(1-2t)^{-n/2}$$

B.
$$(n-t)^{-1/2}$$

C.
$$(1 + 2t)^{-r}$$

If X₁ and X₂ are two independent chisquare variates with n₁ and n₂ degrees of freedom respectively,

then
$$\frac{X_1}{X_2}$$
 follows a

A. $\frac{\text{t distribution with (n₁/n₂) degrees of freedom}}{\text{freedom}}$

Beta distribution of the second kind with parameters $\left(\frac{n_1}{2}, \frac{n_2}{2}\right)$

Gamma distribution with parameters

C.
$$\left(\frac{n_1}{2}, \frac{n_2}{2}\right)$$

D. None of these

- 116 The standard error is:
 - A. Error of the statistic
 - B. Standard deviation
 - e. Standard deviation of the statistic
 - D. None of these
- The relation between Snedecor's F and Fisher's Z is:

A.
$$Z = \frac{1}{2} \log_e F$$

B.
$$F = e^{2Z}$$

D. None of (A) and (B)

| 118 | Value of b in the trend line $y = a+bx$ is: |
|-----|---|
| | A. Always positive |
| | B. Always negative |
| - | e. Both positive and negative |
| | D. None of these |
| 119 | The best method for finding out seasonal |
| | variation is: |
| | A. Simple average method |
| 1 | B. Ratio to moving average method |
| | C. Ratio to trend method |
| | D. None of these |
| 120 | Least square method of fitting a trend is: |
| | A. Most exact |
| | B. Least exact |
| | C. Full of subjectivity |
| | D. Mathematically unsound |

- If the origin in a trend equation is shifted forward by three years, x in the equation y = a + bx will be replaced by:
 - A. x = 3
 - **B**. x + 3
 - C. 3x
 - D. None of these
- For Bernoulli distribution with probability p of a success and q of a failure, the relation between mean and variance that holds is:
 - A. Mean < variance
 - B. Mean > variance
 - C. Mean = variance
 - D. Mean ≤ variance

Purchasing power of money can be accessed through -A. Value index B. Quantity index C. Consumer price index D. Price index A good index number is one that Satisfies -A. Time reversal test B. Factor reversal test Both time reversal and factor reversal test D. None of these

| 125 | Cui | rrent year fixed base index is equal to |
|-----|----------------|--|
| | A. B. C. | Current year CBI×Previous year FBI 100 Current year FBI×Previous year CBI 100 Current year CBI×Current year FBI 100 |
| | D. | Previous year FBI×Previous year CBI |
| 126 | | a random sample from $N(\mu, 1)$, an piased estimator of μ^2+1 is : |
| | A. | $\frac{-2}{x^2+1}$ $(\sum xi)^2+1$ |
| | | $\frac{1}{2}(\sum xi)^2 + 1$ |
| | D. | $\frac{\sum xi^2}{n}$ |

| 127 | If $x_1, x_2,, x_n$ be a random sample from |
|-----|--|
| | $N(\mu,\sigma^2)$ population, the sufficient |
| | Statistic for µ is : |
| | $A. \sum (x_i - \overline{x})$ |
| | $B. \overline{x}/u$ |
| | $e \sum x_i$ |
| | $D. \sum (x_i - \overline{x})^2$ |
| 128 | An estimates is considered to be the best |
| | if its distribution is: |
| | A. Continuous |
| | B. Discrete |
| | Concentrated about the true |
| | parameter value |
| 1 | D. Normal |

| 129 | Pick the family which is NOT regular: |
|-----|---|
| | |
| | A. Binomial |
| | B. Poisson |
| | C. Cauchy |
| | $D. U(0,\theta)$ |
| 130 | The Rao-Blackwell theorem helps to |
| | improve the unbiased estimator by using |
| 1 | the - |
| | |
| | A. Estimator with maximum variance |
| | B. Unbiased estimator |
| | 2. Sufficient estimator |
| | D. Biased estimator |

- If the variance of an estimator attains the Cramer Rao lower bound the estimator is:
 - A. Most sufficient
 - B. Having 0 variance
 - C. Biased
 - D. Having the maximum variance
- Least square estimator under linear model set up is:
 - A. Biased
 - B. Unbiased with minimum variance
 - C. Unbiased with maximum variance
 - D. Having variance 0

133 The 95% confidence limits for μ of normal distribution when σ^2 is known is -

$$\frac{1}{x} \pm 1.96 \frac{\sigma}{\sqrt{n}}$$

A.
$$\bar{x} \pm 1.96 \frac{\sigma}{\sqrt{n}}$$
B. $\bar{x} \pm 1.96 \frac{S}{\sqrt{n}}$

C.
$$\bar{x} \pm 1.96 \frac{\bar{s}}{\sqrt{n-1}}$$

D.
$$\bar{x} \pm t_{\alpha/2} \frac{S}{\sqrt{n}}$$

- Index numbers help -
 - In framing of economic policies
 - In accessing the purchasing power or B. money
 - For adjusting national income
 - All of these

The error (s) involved in the construction or index numbers is:

A. Error of sampling
B. Formula error
C. Error in collected data

D. All of these

One of the limitations in the construction of index numbers is:

A. The choice of the type of average

B. Choice or investigators

C. Choice or variables to be studied

D. All of these

| 137 | | ights which can be expressed with niteness are called - |
|-----|-------|---|
| | Α. | Implicit weights |
| - | В. | Explicit weights |
| | C. | Fixed weights |
| | D. | None of these |
| 138 | The | chisquare distribution with n degrees |
| | of fi | reedom, for $n < 30$ is: |
| | A. | Positively skewed |
| | В. | Symmetric |
| | | Negatively skewed |
| | D. | None of these |

| 139 | The credit for deriving the F-distribution |
|-----|--|
| | goes to - |
| | A. R.A. Fisher |
| | B. G.W. Snedecor |
| | C. W.S. Gossett |
| | D. All of these |
| 140 | The t distribution is: |
| | A. Positively skewed |
| | B. Symmetrical about the line t = 0 |
| | C. Negatively skewed |
| | D. None of these |
| 141 | The range of a chi-square variate is: |
| | A. $-\infty$ to $+\infty$ |
| | B. 0 to 1 |
| | e. 0to ∞ |
| | D. $-\infty$ to $+0$ |

| 147 | Which fall fill TDIES | | |
|-----|---|--|--|
| | Which of the following is TRUE? | | |
| | (i) Method of minimum X ² and m.l.e gives | | |
| | the same estimator for large n | | |
| | (ii) Method of modified minimum X² and | | |
| | m.l.e gives the same estimator for large n | | |
| | (iii) m.l.e's are unbiased | | |
| | (iv) Consistent estimator is always | | |
| | unbiased | | |
| | | | |
| | A. (i) only | | |
| | | | |
| | B. (i), (ii) and (iii) only | | |
| | | | |
| | e. (i) and (ii) | | |
| | | | |
| | D. All the statements | | |
| 143 | If X_1, X_2, \dots, X_n is a random sample from | | |
| | | | |
| | population $N(\mu, \sigma^2)$, the sufficient | | |
| | Statistic For σ^2 , when μ is unknown, is: | | |
| | | | |
| | $A. \left(\sum xi\right)^2$ | | |
| | | | |
| | $B. \sum xi^2$ | | |
| / | $C_{\cdot} \sum (x_1 \cdot \mu)^2$ | | |
| | $ C \sum (x' - \pi)_{\zeta}$ | | |
| | | | |
| | D. None of these | | |

The $100(1-\alpha)\%$ confidence interval for $|\sigma_1^2/\sigma_2^2$ based on random samples from two independent normal population of sizes n_1 and n_2 with unknown means, where S_1^2 and S_2^2 are unbiased estimators of σ_1^2 and σ_2^2 , is given by:

A.
$$\left[\frac{S_2^2}{S_1^2} \times \frac{1}{F_{n_1-1,n_2-1}^{\alpha/2}}, \frac{S_2^2}{S_1^2} \times F_{n_2-1,n_2-1}^{\alpha/2}\right]$$

B.
$$\left[\frac{S_1^2}{S_2^2} \times \frac{1}{F_{n_1-1,n_2-1}^{\alpha/2}}, \frac{S_1^2}{S_2^2} \times F_{n_2-1,n_2-1}^{\alpha/2}\right]$$

B.
$$\left[\frac{S_{1}^{2}}{S_{2}^{2}} \times \frac{1}{F_{n_{1}-1,n_{2}-1}^{\alpha/2}}, \frac{S_{1}^{2}}{S_{2}^{2}} \times F_{n_{2}-1,n_{2}-1}^{\alpha/2}\right]$$

$$C. \left[\frac{S_{2}^{2}}{S_{1}^{2}} \times \frac{1}{F_{n_{2}-1,n_{2}-1}^{\alpha/2}}, \frac{S_{2}^{2}}{S_{1}^{2}} \times F_{n_{1}-1,n_{2}-1}^{\alpha/2}\right]$$

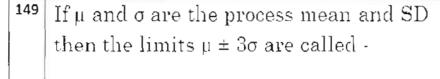
$$\mathrm{D.} \quad \left[\frac{\mathsf{S}_1^2}{\mathsf{S}_2^2} \times \frac{1}{\mathsf{F}_{n_2-1,n_3-1}^{\alpha/2}}, \frac{\mathsf{S}_1^2}{\mathsf{S}_2^2} \times \mathsf{F}_{n_3-1,n_2-1}^{\alpha/2} \right]$$

- If $x_1, x_2, ..., x_n$ constitutes a random sample from $f(x) = e^{-(x-S)}, x > 8$, which of the following estimators of δ are not biased?
 - $A. \overline{X}$
 - $\mathbf{B} \cdot \overline{\mathbf{X}} 1$
 - C. $\overline{X} + 1$
 - D. $2\overline{X}$
- If $X_1, X_2, ..., X_n$ is a random sample from $f(x) = e^{-(x-8)}, x > 8$, which of the following is a consistent estimators of δ ?
 - X_{c1}
 - $_{\mathrm{B.}}$ $\mathrm{X}_{_{\mathrm{(n)}}}$
 - $C. \overline{X}$
 - D. $\overline{X} 1$

- 147 Cramer- Rao inequality with regard to the variance of an estimator provides:
 - A. Upper bound on the variance
 - B. Lower bound on the variance
 - C. Asymptotic variance of an estimator
 - D. Efficiency of an estimator
- For a random sample of size 100 from N(μ,σ²) the two sided, 95% confidence interval for μ when σ² is unknown, with

$$S^2 = \frac{1}{n-1} \sum (x_1 - \overline{x})^2$$
, is:

- A. $[\overline{X} 1.96S, \overline{X} + 1.96S]$
- B. $[\overline{X} 1.645S, \overline{X} + 1.645S]$
- C. $[\overline{X} 0.1645S, \overline{X} 0.1645S]$
- $[\overline{X} 0.196S, \overline{X} + 0.196S]$



- Specification limits
- Standard limits В.
- Natural tolerance limits
- D. Warning limits
- AOQL of a single sampling plan is:

$$A. \quad \frac{P(N-n)}{N}$$

$$B. \quad \frac{N-n}{N} \, P_{\!_a}$$

C.
$$\frac{P(N-n)(1-P_a)}{N}$$
D.
$$\frac{P(N-n)P_a}{N}$$

$$\frac{P(N-n)P_s}{N}$$

| 151 | Type A oc curve is based on - |
|-----|---|
| | A. Binomial distribution |
| | B. Poisson distribution |
| | C. Hypergeometric distribution |
| | D. Normal distribution |
| 152 | C - chart is based on · |
| | A. Binomial distribution |
| | B. Normal distribution |
| | C. Poisson distribution |
| | D. Hypergeometric distribution |
| 153 | Which of the following statement is true? |
| | A. AQL and LQL are same |
| | B. AQL and LTPD are same |
| | C. LQL and LTPD are same |
| | D. AQL and RQL are same |

| 154 | The oc curve of a single sampling plan |
|-----|--|
| | gives - |

- Probability of accepting the lots
- Probability of finding the specified В. number of defectives.
- Probability of finding specified C. number of good items
- Probability of never committing an D. error
- 155 In a double sampling plan we reject the

lot if -

$$\mathbb{B}. \quad d_1 > c_2$$

C.
$$d_1 + d_2 \le c_2$$
D. $d_1 + d_2 \le c_1$

D.
$$d_1 + d_2 \le c_1$$

156 Lot tolerance percentage defective is also called -A. Acceptance quality level B. Rejectable quality level C. Best quality level D. Medium quality level 157 Given $\overline{R} = .009$ for a process that is in control obtain the estimate of process standard deviation. The sample size n = 6and $d_2 = 2.534$? A. .05 B. .035 .0035 .0027 D.

| 158 | Acceptance of a lot of unsatisfactory quality on the basis of sampling inspection is called |
|-----|---|
| | A. Market Risk |
| | B. Bayes Risk |
| + | C. Consumer's Risk |
| | D. Producer's Risk |
| 159 | The rejection of a lot which is of |
| | acceptable quality is called |
| | acceptable quality is called A. Bayes Risk |
| | |
| | A. Bayes Risk |

Suppose a random sample of 'n' items is drawn from a lot of 'N' items and let 'd' be the number of defectives in the sample. If 'c' be the acceptance number of defectives then we reject the lot if -

- A. d > c
- B. d = c
- C. d < c
- D. $d \le c$
- The double sampling inspection plan was designed by
 - A. Dodge and Roming
 - B. Walter A Shewhart
 - C. Duncan
 - D. A.V. Feigenbaum

In a certain sampling inspection, the number of defects found in 10 samples of 100 each are given below:
16, 18, 11, 18, 21, 10, 20, 18, 17 and 21.
Find the upper control limit for the C-chart.

A. 17

B. 4.631

C. 12.369

D. 29.369

The three sigma trial control limits for C-chart for equal size samples are given as -

A.
$$UCL = \overline{C} + 3\sqrt{\overline{c}}$$
; $CL = \overline{C}$,
 $LCL = \overline{C} - 3\sqrt{\overline{c}}$

B.
$$UCL = \overline{C} + 2\sqrt{\overline{c}}; CL = \overline{C},$$
$$LCL = \overline{C} - 2\sqrt{\overline{c}}$$

C.
$$UCL = \overline{C} + \sqrt{3\overline{c}}; CL = 3,$$
$$LCL = \overline{C} - \sqrt{3\overline{c}}$$

D. None of the above

In variable sampling plan, the distribution of quality characteristic is assumed as –

- A. Poisson distribution
- B. Normal distribution
- C. Binomial distribution
- D. None of these

Control chart for nonconformities is based on
A. Poisson distribution

B. Exponential distribution

C. Normal distribution

D. None of these

Which probability density function has a constant hazard rate?

A. Binomial distribution

B. Poisson distribution

C. Gamma distribution

D. Exponential distribution

For an exponential probability density function $F(t) = \lambda e^{-\lambda t}$, $t \ge 0$, mean time to failure is:

- A. λ
- $B' \frac{1}{\lambda}$
- C. $\frac{1}{1+\lambda}$
- D. $1+\lambda$
- Monthly fluctuation observed in a time series data are termed as -
 - A. Cyclical variation
 - B. Irregular variation
 - C. Seasonal variation
 - D. Secular trend

If the slope of the tread line is positive it shows.

A. Rising trend
B. Declining trend
C. Stagnation
D. Any of the above

A time series is affected by.

A. Economic factors
B. Non economic factors
C. Both (A) and (B)
D. Neither (A) nor (B)

Variance of the project duration in network is:

$$A. \quad \sigma^2 = \left[\frac{t_p - t_0}{6}\right]^2$$

B.
$$\sigma^2 = \frac{1}{6} [t_p - t_0]^2$$

$$C. \quad \sigma^2 = \left\lceil \frac{t_p - t_0}{6} \right\rceil$$

$$D. \quad \sigma^2 = 6 \left[t_p - t_0 \right]^2$$

Representation of beginning or completion of some activity which consumes no time in network is:

- A. Event
- B. PERT
- C. CPM
- D. Activity

- The longest time that an activity could take if everything goes wrong in network is:
 - A. Pessimistic time
 - B. Most likely time
 - C. Optimistic time
 - D. Critical path
- Given $2x_1 + x_2 x_3 = 2$ and $3x_1 + 2x_2 + x_3 = 3$

then one of the basis:

$$A = \begin{pmatrix} 2 & 1 \\ 3 & 2 \end{pmatrix}$$

- B. $\begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix}$
- C. $\begin{pmatrix} 2 & 1 & -1 \\ 3 & 2 & 1 \end{pmatrix}$
- D. None of these

O.R Models may be classified depending upon
A. Dimensionality

B. Function

C. Subject

D. All of these

178 The component of a time series which is attached to long term fluctuations is:

A. Seasonal variation

B. Cyclical variation

C. Irregular variation

D. All of these

The general decline in sales of cotton cloths is attached to the component of the time series -A. Secular trend B. Cyclical variation C. Seasonal variation D. All of these 180 The consistent increase in production of cereals constitutes the component of a time series -Secular trend B. Seasonal variation C. Cyclical variation D. All of these

181 Cyclic variations in a time series are caused by -A. Lockouts in a factory B. War in a Country C. Floods in the States None of these Semi-average method or finding trend is appropriate if the data are available for a -Long period B. Short period C. Long and Short period D. None of these

| 183 | Link relatives in a time series remove the influence of - | | |
|-----|---|--|--|
| | | | |
| | A. The trend | | |
| | B. Cyclic variation | | |
| | C. Irregular variation | | |
| | D. All of these | | |
| 184 | Which of the following component is used | | |
| | for short term forecast? | | |
| | A. Cyclical variation | | |
| | B. Trend | | |
| | C. Seasonal variation | | |
| | D. None of these | | |
| | | | |

-

If either the primal of the dual problem has an unbounded objective function value, then the other problem has
A. Feasible solution

- B. No feasible solution
- C. Unbounded solution
- D. None of these
- To convert $\sum a_{ij} x_j \ge b_j$ into an equality, we introduce -
 - A. Slack variable
 - B. Surplus variable
 - C. Unrestricted variable
 - D. None of these

D. None of these

190

Given $\begin{pmatrix} 1 & 2 & 1 \\ 2 & 1 & 5 \end{pmatrix} \begin{pmatrix} x_1 \\ x_2 \\ x_3 \end{pmatrix} = \begin{pmatrix} 4 \\ 5 \end{pmatrix}$

The maximum possible basic solution is:

- A. 3
- B. 4
- C. 2
- D. 6

191 Most commonly used index number is -

- A. Diffusion index number
- B. Price index number
- C. Value index number
- D. None of these

- Consumer price index is mostly used for framing -
 - A. Price policy
 - B. Wage policy
 C. Policy making

 - D. All of these
- Estimation of quantity index number by 193 applying Fisher method is:

$$A = \sqrt{\frac{\sum q_1 p_0}{\sum q_0 p_0}} \times \frac{\sum q_1 p_1}{\sum q_0 p_1} \times 100$$

B.
$$Q_{01} = \sqrt{\frac{\sum q_1 p_1}{\sum q_0 p_0}} \times \frac{\sum q_1 p_0}{\sum q_0 p_1} \times 100$$

C.
$$Q_{01} = \sqrt{\frac{\sum q_0 p_0}{\sum q_1 p_0}} \times \frac{\sum q_0 p_1}{\sum q_1 p_1} \times 100$$

$$\mathrm{D.} \quad \mathcal{Q}_{01} = \sqrt{\frac{\sum q_{0} p_{1}}{\sum q_{1} p_{1}} \times \frac{\sum q_{0} p_{0}}{\sum q_{1} p_{1}}} \times 100$$

| 194 | Link relative for any month is equal to - |
|-----|--|
| | A. Previous month value ×100 current month value |
| | B. Current month value ×100 previous month value |
| | C. Current month value Chain relative of preceeding month |
| | D. All of these |
| 195 | In the least square linear trend equation $y = a+bx$, if b is positive if indicates - |
| | A. Declining trend |
| | B. Rising trend |
| | C. No trend at all |
| | D. All of these |

196 The only way of isolating irregular variations is to remove _____ from the time series. A. Secular trend and seasonal variation B. Secular trend, seasonal and cyclical variation C. Seasonal and cyclical variation D. Secular Trend and cyclical variation 197 For the given five values 15,24,18,33,42 the three year moving averages are: A. 19, 22, 33 B. 19, 25, 31 C. 19, 30, 31 D. None of these

| 198 | Quantity index reflects what changes | |
|-----|---|--|
| | from one period to another? | |
| | A. Price | |
| | B. Quantity | |
| | C. Value | |
| P | D. All of these | |
| 199 | Index numbers are called - | |
| • | A. Economic barometers | |
| | B. Good guide | |
| | C. Both (A) and (B) | |
| | D. Neither (A) nor (B) | |
| 200 | The cost matrix in an assignment problem is a - | |
| , | A. Square matrix | |
| | B. Rectangle matrix | |
| | C. Diagonal matrix | |
| | D. None of these | |